



Lecture 8 - Compositing

Michael Gleicher
September, 2007
Notes – not for display



Outline - Compositing

- What is compositing?
- Why? (really defer till next week)
- What is digital compositing?
- How does it work?
- (briefly) where do mattes come from?



Compositing

- How do we combine pictures seamlessly?
- Weatherman in front of weather map?
- Flying saucer/monster in 1950s movie?
- CG element in a live action movie?
- Multiple live action elements?



How would you do it by hand?

- Cut out picture and paste it
- Picture has an irregular shape
 - Not the same as the original image
- Want to keep images all the same size
 - Film: keep it all the same size
 - Digital – hard to have non-rectangles



Mattes

- Make the images the same size, but have transparent regions
- Optical Printing (old movie production)
 - Expose the film multiple times
 - Have an image that is solid where the image should not go
 - Mask or “matte”



Digital Mattes

- An image the same size as the “regular” image
- For each pixel, store whether or not you want that pixel
- When assemble the images – pick the “top” image when matte has a value

Matte as Opacity



- Value 0 = transparent
- Value 100% (255?) = solid

- Can have semi-transparent (50% opacity)

Matte as filling pixels



- Little square model
- Opacity says how full each pixel is
 - 100% - totally full, nothing gets through
 - 0% - totally empty, everything gets through
 - 50% - half full – on average, half the stuff gets through
- Can't see the details of which 50% (since its just a pixel, and has a single value)
- Get accurate edges (halfway = half full)

Alpha channel



- Store opacity as a 4th "Color"
- Each pixel has RGB, A
- A=100% (255?) then solid

Compositing



- Assume 1 image "over" the other
- Image $A=(r,g,b,a)$ and $B=(r,g,b,a)$
- Done per pixel (assume samples in the same place)

- What is the resulting color
 - $C(r,g,b,a) = A(r,g,b,a) \text{ OVER } B(r,g,b,a)$
- There are other operators too

How over works



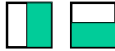
- Use the little square model for intuition
- Suppose half full for the moment
- Can't know which half – assume statistically uncorrelated.
- We'll draw pictures so that it works out.



The 4 possibilities:



- Alpha says probability a location is "covered"
 - Aa means in A
 - Ba means in B
- 4 possibilities
 - In neither $(1-Aa)(1-Ba)$
 - In A but not B $Aa(1-Ba)$
 - In B but not A $Ba(1-Aa)$
 - In both $AaBa$



1 = neither	2 = A only
3 = B only	4 = A and B

Compositing Operator



- Decide what should happen in each region
- Weight result by the area of each region
 - Areas = probabilities, percentage of the whole
- A Over B
 - Neither = nothing
 - A only = A
 - B only = B
 - A and B = A (since over)

A over B



- Neither = $(1-Aa)(1-Ba) 0$
- A Only = $Aa (1-Ba) Acolor$
- B Only = $Ba (1-Aa) Bcolor$
- A and B = $Aa Ba Acolor$
- Add them up...
 - $Aa (1-Ba) + Aa Ba Acolor +$
 - $Ba (1-Aa) Bcolor$
 - $= Aa Acolor + (1-Aa) Ba Bcolor$

What is the new alpha?



- When is there “something”
- $Aa + Ba - Aa Ba$ (don't count the both case twice)
- Add up the areas of the regions that are filled
 - $Aa (1-Ba) + Ba (1-Aa) + Aa Ba$
 - $Aa - Aa Ba + Ba - Aa Ba + Aa Ba$
 - $Aa + Ba - Aa Ba$

Other operators



- Specify what happens in each “quadrant”
 - 1 = neither (always 0)
 - 2 = A only (choices 0 or A)
 - 3 = B only (choices 0 or B)
 - 4 = A and B (choices 0, A or B)
- For each of 2-4 pick a different result to get a different operation
- 12 possible operators

A held-inside B

Warning: in the original notes I called this “atop” which is a different operator



- Give color A only when it is inside of B
- 1 = 0 (no color if neither)
- 2 = 0 (no color if A not on B)
- 3 = 0 (no color if no A)
- 4 = A (A is on top of B)

$$Ccolor = Aa Ba Acolor$$
$$Ca = Aa Ba$$

A atop B

Warning: in the original notes I used “atop” to describe held-in



- Give color A when it is on top of B (and give B otherwise)
 - 1 = 0 (no color if neither)
 - 2 = 0 (no color if A not on B)
 - 3 = B (places where B with no A on top)
 - 4 = A (A is on top of B)
- $$Ccolor = Aa Ba Acolor + (1-Aa) Ba Bcolor$$
- $$Ca = Aa Ba$$

Pre-Multiplied Alpha

- Notice that the color always appears multiplied by alpha
- Can make all this much easier by pre-multiplying (storing $A_a A_{color}$, not A_{color})
- Transparent pixel has no color
 - Conceptually clean
- Popular thing to do
 - Our image library does it (beware)
- Can't get colors back ($\alpha=0$)

Blending functions

- Premultiplied gives easy common form

$$C_{color} = F A_{color} + G B_{color}$$

$$C_a = F_a A_a + F_b B_a$$
- F_a and F_b determined based on operation
 - Over $F_a = 1, F_b = (1 - A_a)$
 - Atop $F_a = B_a, F_b = 0$

4 regions

	0	A	B	AB	in	F_a
A over B	0	A	B	A	1	$1 - a$
B over A	0	A	B	B	$1 - b$	1
clear	0	0	0	0	0	0
A in B	0	0	0	A	a	0
B in A	0	0	0	B	0	a
A out B	0	A	0	0	$1 - a$	0
B out A	0	0	B	0	0	$1 - a$
A	0	A	0	A	1	0
B	0	0	B	B	0	1
A atop B	0	0	B	A	a	$1 - a$
B atop A	0	A	0	B	a	$1 - a$
XOR	0	A	B	0		

could be 0, A, 0, B, 0, A or B (or AB) ?

2-2-3 possibilities

$$0 = (1 - a)(1 - b)$$

$$a = a(1 - b)$$

$$b = b(1 - a)$$

$$ab = ab$$

Blending Functions

$$C = F_a C_a + F_b C_b$$

pixel!

$$C_a = F_a a_1 + F_a a_2$$

Where does alpha come from?

- Paint it as a separate channel
- Various matting algorithms
 - Chromamatte (equal to a color)
 - Lummamatte (bright/dark pixels)
 - Difference matte (pixels same in 2 image=back)
- Tricky to get partial opacities
 - Is it part red/part blue (screen) or purple?
 - Important: otherwise get fringe effects

Blue Screen / Green Screen

- Naïve version:
 - Assume objects generally have blue in proportion to other colors
 - Grey flying saucers in 1960s movies
 - $\text{Alpha} = 1 - (B - uG)$ (where $.5 < u < 1.5$)
 - Clamp (gives a threshold – must be more blue than green)
 - $\text{Alpha} = 1 - u1(\min(B_f, B_k) + u2 G)$

Really hard!

- Background is never really pure color
 - Try to get lighting constant
- Edge pixels, hair, etc. are partially background
- Shadows, spill (blue background reflects onto objects), transparent objects, ...
- Modern algorithms use fancy computer vision on neighborhoods of pixels
- Expensive fancy software in effects industry!

Next week...



- I'm at a conference (show stuff later in semester)
- Monday / Wednesday – Li Zhang
 - Talk about warping and morphing (more resampling). Plus vision applications.
 - Part of project. Also, TAs to give project hints
- Fiday – Perry
 - Special Effects!
 - He has had 2 companies – won an Academy Award and an Emmy award!